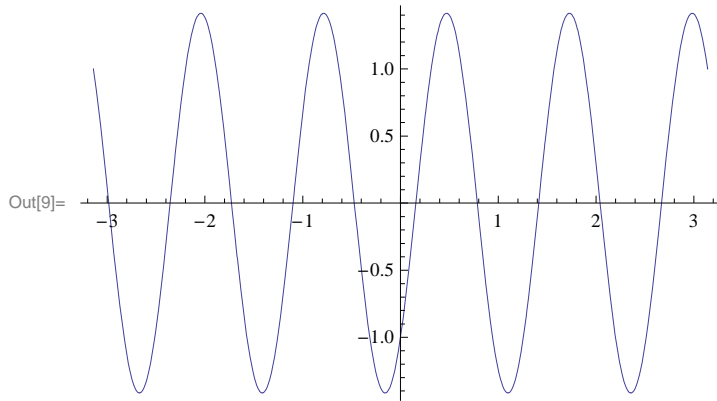


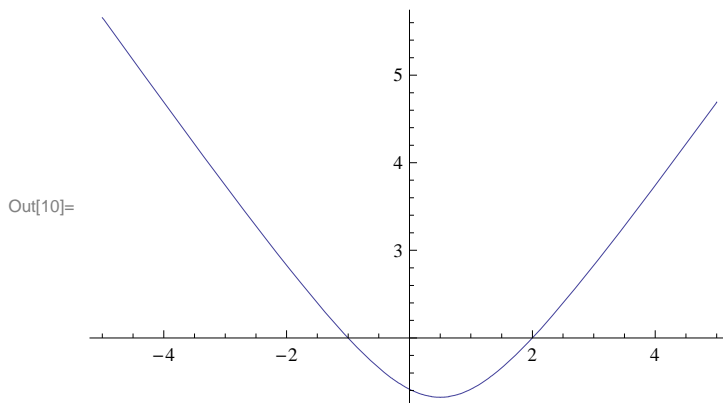
# MATHEMATICA 6.0

## EJERCICIO PROPUESTO 1

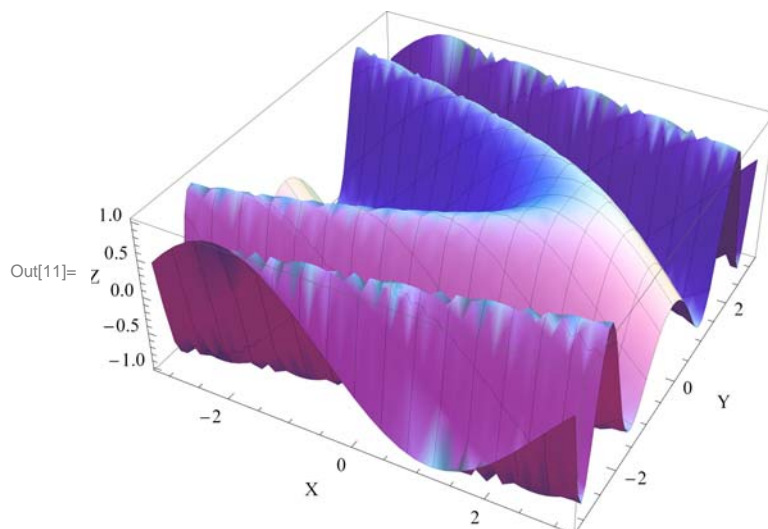
In[9]:= `Plot[Sin[5 x] - Cos[5 x], {x, -π, π}]`



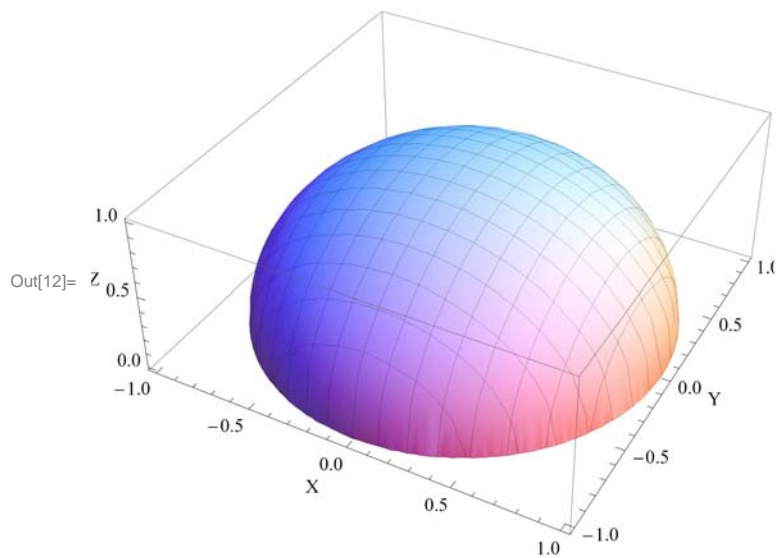
In[10]:= `Plot[√(x² - x + 2), {x, -5, 5}]`



In[11]:= `Plot3D[Sin[x + y²], {x, -π, π}, {y, -π, π}, AxesLabel → {"X", "Y", "Z"}]`

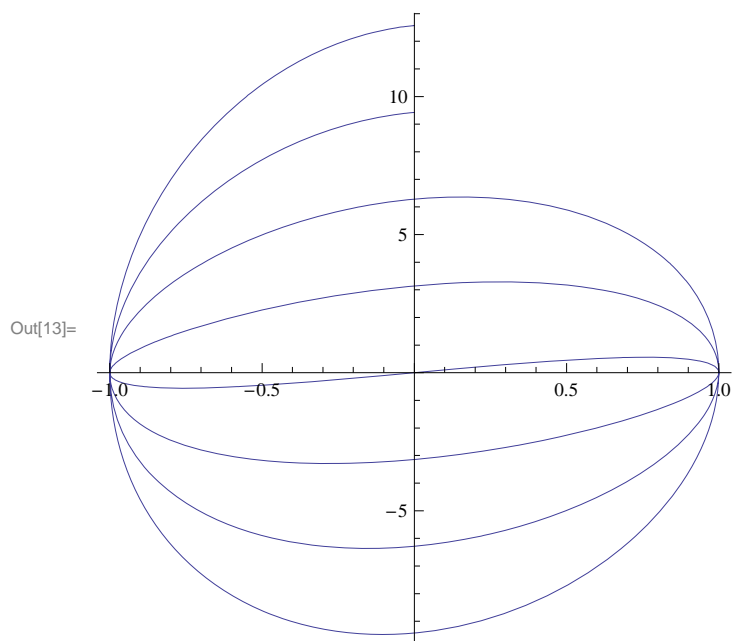


```
In[12]:= Plot3D[ $\sqrt{1-x^2-y^2}$ , {x, -1, 1}, {y, -1, 1}, AxesLabel -> {"X", "Y", "Z"}]
```

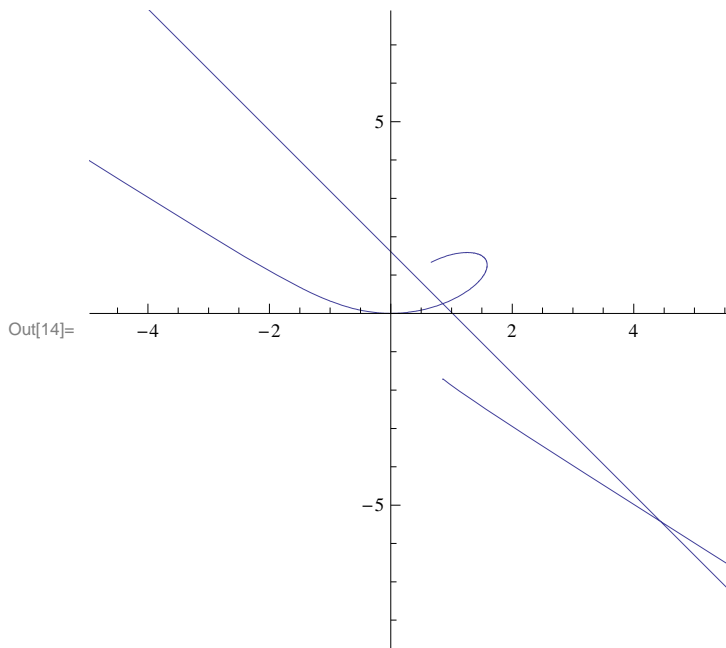


## EJERCICIO PROPUESTO 2

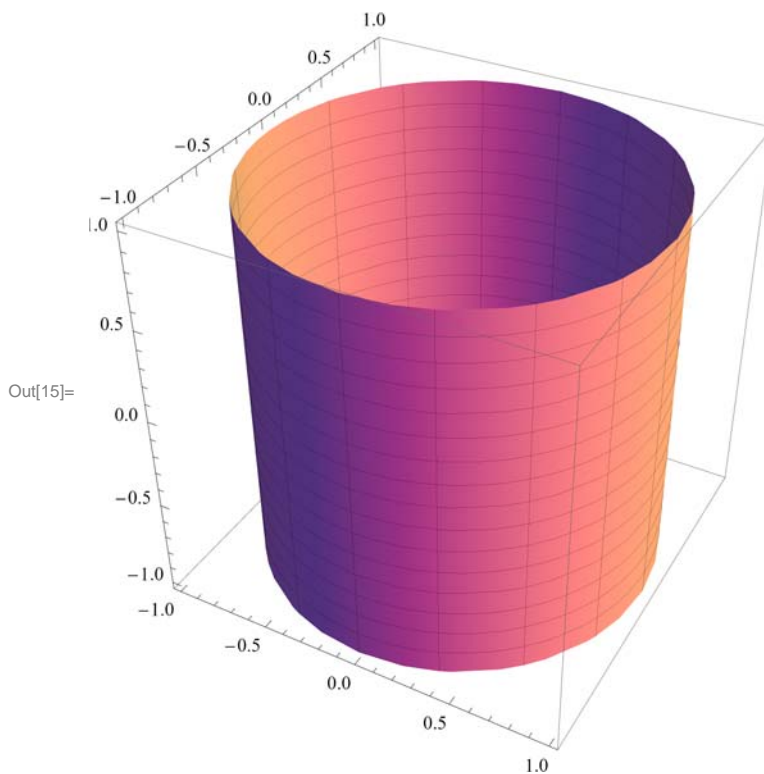
```
In[13]:= ParametricPlot[{Sin[t], t Cos[t]}, {t, -3 π, 4 π}, AspectRatio -> 1]
```



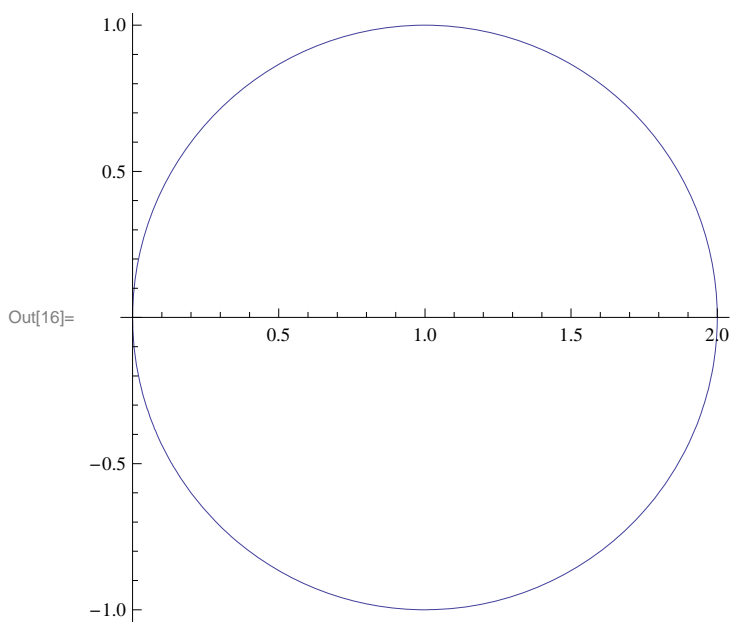
```
In[14]:= ParametricPlot[{{ $\frac{3t}{1+t^3}$ ,  $\frac{3t^2}{1+t^3}$ }, {t, -2, 2}, AspectRatio -> 1]
```



```
In[15]:= ParametricPlot3D[{Cos[u], Sin[u], v}, {u, -π, π}, {v, -1, 1}]
```



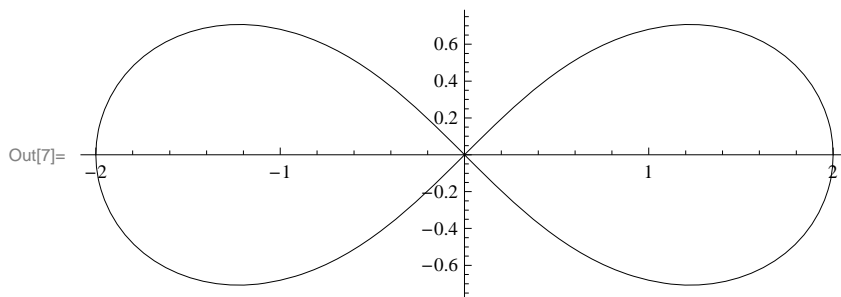
```
In[16]:= PolarPlot[2 Cos[α], {α, 0, π}]
```



#### EJERCICIO PROPUESTO 4

```
In[5]:= << Graphics`ImplicitPlot`
```

```
In[7]:= ImplicitPlot[(x^2 + y^2)^2 == 4 (x^2 - y^2), {x, -5, 5}]
```



#### EJERCICIO PROPUESTO 5

```
In[17]:= f[x_] := x^4 - 2 x^3 + 2 x - 3;
```

```
In[18]:= rectatangente = Reduce[y - f[1] == f'[1] (x - 1)]
```

```
Out[18]= y == -2
```

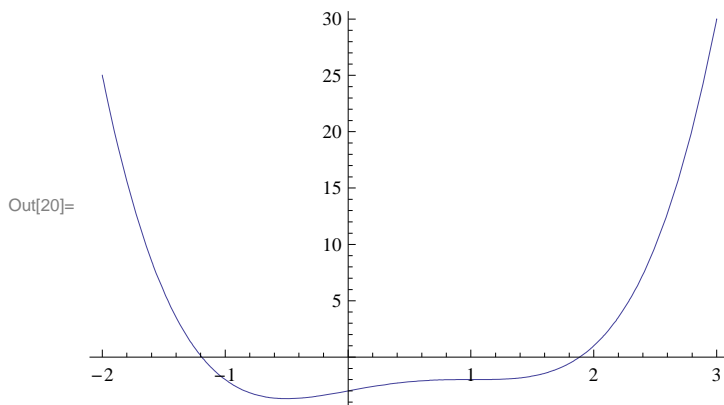
Recta tangente a la función en el punto

```
In[19]:= rectanormal = Reduce[(y - f[1]) f'[1] == (x - 1)]
```

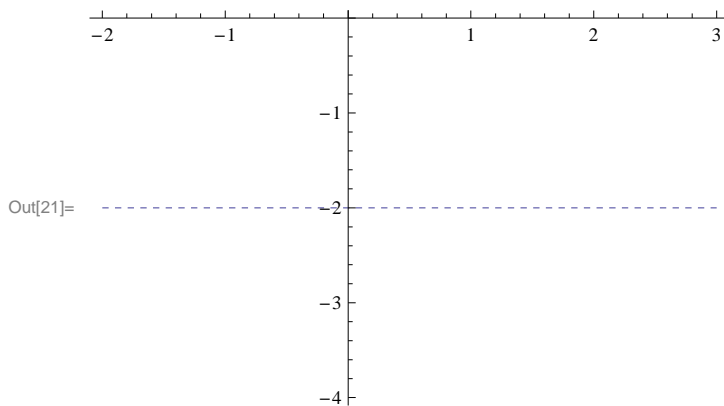
```
Out[19]= x == 1
```

Recta normal a la función en el punto

```
In[20]:= funcion = Plot[x4 - 2 x3 + 2 x - 3, {x, -2, 3}]
```

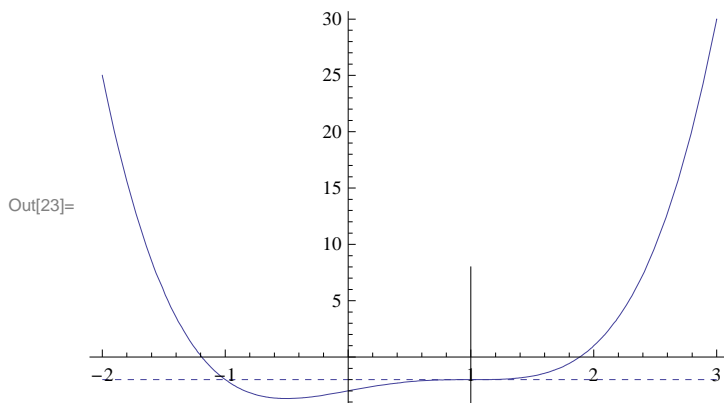


```
In[21]:= tangente = Plot[-2, {x, -2, 3}, PlotStyle -> Dashing[{0.01}]]
```



```
In[22]:= normal = Graphics[Line[{{1, -8}, {1, 8}}]]; 
```

```
In[23]:= Show[funcion, tangente, normal]
```



## EJERCICIO PROPUESTO 6

In[24]= ContourPlot[x<sup>2</sup> + y<sup>2</sup>, {x, -10, 10}, {y, -10, 10}]

